# Enhancing The Encryption Process Of Advanced Encryption Standard (AES) By Using Proposed Algorithm To Generate S-Box 

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#### Abstract

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Information security is a very important issue in data communication. Any loss or threat to information transfer can prove to be great loss in the process of sending information. Encryption technique plays a main role in information security systems. The advanced encryption standard algorithm is widely accepted due to its strong encryption, complex processing and its resistance to Brute-force attack. This paper presents a proposed algorithm to enhance the encryption process of advanced encryption standard algorithm (AES) by introducing a new algorithm to generate dynamic S-Box from cipher key. This algorithm will lead to generate more secure block ciphers, and solve the problem of the fixed structure S-Boxes and will increase the security level of the AES block cipher system. The main advantage of this algorithm is that many S-Boxes can be generated by changing cipher key. The proposed algorithm leads to increase the complexity of encryption process and makes the differential and linear cryptanalysis more difficult. MATLAB (R2013a) program is used for simulation.


Keywords: Cryptography, Encryption, Decryption, Rijndael algorithm, Advanced Encryption Standard (AES), Substitution Box (S-Box).


> قسم الـهندسة (الكهربائبية/ الجامعة مسلد النكنولوجية



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طريقة مقترحة لتحسين عملية التثفير في خوارزمية التشفير المتقدم القياسبية.أن خوارزميـة التشفير المتقدم القياسية
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(لخوارزمية لاقت قبولاً واسعاً بسبب تشفيرها القوي، ومعالجتهـا المعقده ومقاومتهـا لــعدليات كسر التثشفير. يقدم هذا
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خوارزمية جبيدة لتوليد (S-Box) ديناميكي من مفتاح التثشفير بسوف تـؤلي هذه الخوارزميـة لتوليد كتلـة شفرات أكثر
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لهذه الخوارزميـة هو أن العديـ مـن (S-Box) يمكـن توليدها عن طريق تغيير مفتـاح النثشفير .تـم تنفيـن الخوارزميـة
المقترحة على خوارزمية التشفير المتقدم القياسية الاصلية. أن النظام المقترح يزيـ من تـقيد عملية التشفير ويجعل
    تحليل الشفرات التّفاضلية الخطية أكثر صعوية.تم أستخدام برنامج MATLAB (R2013a) في عملية المحاكاة.
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## 1. Introduction

Transmission of important data over the communication channel have emphasized the need for fast and secure digital communication networks to achieve the requirements for secrecy, integrity and nonproduction of exchanged information. Cryptography provides a method for securing and authenticating the transmission of information over insecure channels. It enables us to store sensitive information or transmit it across insecure networks so that unauthorized persons cannot read it.

The urgency for secure exchange of digital data resulted in large quantities of different encryption algorithms which are evaluated on the basis of throughput, speed of operation and area requirements. There are mainly two types of cryptographic algorithms:

1- Symmetric.
2- Asymmetric algorithms.
Symmetric systems such as Data Encryption Standard(DES), 3DES and Advanced Encryption Standard(AES) uses an identical key for the sender and receiver; both to encrypt the message text and decrypt the cipher text. Asymmetric systems such as Rivest-ShamirAdelman (RSA) \& Elliptic Curve Cryptosystem (ECC) uses different keys for encryption and decryption. Symmetric cryptosystems is more suitable to encrypt large amount of data with high speed. To replace the old Data Encryption Standard, in September 12 of 1997, the National Institute of Standard and Technology (NIST) required proposals to what was called Advanced Encryption Standard (AES) ${ }^{[1]}$. The AES algorithm is a symmetric block cipher that can encrypt, (encipher), and decrypt, (decipher), information. Encryption converts data to an unintelligible form called (cipher-text). Decryption of the cipher-text converts the data back into its original form, which is called plaintext. The AES algorithm is capable of using cryptographic keys of 128,192 , and 256 bits to encrypt and decrypt data in blocks of 128, 192, or 256 bits ${ }^{[2]}$. Block cipher systems (e.g. AES) depend on the S-boxes, which are fixed and have no relation with the secret key. The only changeable parameter is the secret key. Since the only nonlinear component of AES is S-boxes, they are an important source of cryptographic strength. The use of key-dependent S-boxes in block cipher design has not been widely investigated in the literature. Research into S-box design has focused on determination of S-box properties which yield cryptographically strong ciphers, with the aim of selecting a small number of good S-boxes for use in a block cipher. Some results have
demonstrated that a randomly chosen $S$-box of sufficient size will have several of these desirable properties with high probability ${ }^{[3]}$. In this paper a proposed method for constructing cryptographically strong variable S-box dependent key is introduced.

## 2. AES Algorithm

The AES algorithm specifies three encryption modes: 128-bit, 192-bit, and 256-bit. Each cipher mode has a corresponding number of rounds $N_{r}$ based on key length of $N_{k}$ words. The state block size, termed $\mathrm{N}_{\mathrm{b}}$, is constant for all encryption modes. This 128 -bit block is termed the state. Each state is comprised of 4 words. A word is subsequently defined as 4 bytes. Both encryption and decryption begin with the round key expansion created by the key schedule function ${ }^{[4]}$. Table (1) shows the possible key/state block/round combinations ${ }^{[5]}$.

Table (1) AES Categorization ${ }^{[5]}$.

| KeySize <br> (words/bytes/bits) | $4 / 16 / 128$ | $6 / 24 / 192$ | $8 / 32 / 256$ |
| :--- | :--- | :--- | :--- |
| Number of Rounds | 10 | 12 | 14 |
| Expanded key size <br> (words/byte) | $44 / 176$ | $52 / 208$ | $60 / 240$ |

### 2.1 Principle of AES Algorithm

The AES encryption and decryption procedures are shown in figures (1) and (2). After an initial round key addition, a round function consisting of four different transformations SubByte(), ShiftRow(), MixColumn(), and AddRoundKey() are applied to the data block (i.e., the state array). The round function is performed iteratively 10,12 , or 14 times, depending on the key length. Note that in the last round $\operatorname{MixColumn}()$ is not applied. The four transformations are described briefly as follows ${ }^{[6,7]}$ :

1. SubByte(): a nonlinear byte substitution that operates independently on each byte of the state using a substitution table (the S-Box).
2. ShiftRow(): a circular shifting operation on the rows of the state with different numbers of bytes (offsets).
3. MixColumn(): the operation that mixes the bytes in each column by the multiplication of the state with a fixed polynomial modulo $x^{4}+1$.


Fig .(1) The Encryption procedure of AES Algorithm ${ }^{[7]}$.


Fig .(2) The Decryption procedure of AES Algorithm ${ }^{[7]}$.
4. AddRoundKey(): an XOR operation that adds a round key to the state in each iteration, where the round keys are generated during the key expansion phase.
5. The Key expansion generates a total of $\mathrm{N}_{\mathrm{b}}\left(\mathrm{N}_{\mathrm{r}}+1\right)$ words: the algorithm requires an initial set of $\mathrm{N}_{\mathrm{b}}$ words, and each of the $\mathrm{N}_{\mathrm{r}}$ rounds requires $\mathrm{N}_{\mathrm{b}}$ words of key data. The resulting key schedule consists of a linear array of 4-byte words, denoted [ $w_{i}$ ], with $i$ in the range $0<\mathrm{i}<\mathrm{N}_{\mathrm{b}}\left(\mathrm{N}_{\mathrm{r}}+1\right)$.

The decryption of the data which was encrypted using the AES is done by inverting all the encryption operations with the same key with which it is encrypted since the AES is a symmetric encryption standard. In the decryption process the sequence of the transformations differs from that of the encryption but the key expansion for encryption and decryption are the same. However several properties of the AES algorithm allow for an equivalent decryption with the same sequence of transformations as that in encryption.
The operations of the decryption are described briefly as follows ${ }^{[8]}$ :

1. Inverse Sub Bytes: This operation is same as it is in the encryption process but the only difference is the inverse of the substitution box is used here since the substitution box which we used in the encryption is invertible.
2. Inverse Shift Rows: The inverse shift rows operation inverses the shift row operation in the encryption process by right shifting the elements in the rows.
3. Inverse Add Round Key: The add round key process is the same as that of the one in the encryption process.
4. Inverse Mix Columns: In inverse mix column operation the same operation in the mix column is done but with the different matrix as specified below.
The decryption procedure is shown in Figure (2).

### 2.2 S-Box Calculations

In this paper, a new design for enhancing the security of AES algorithm is proposed. This approach design will not contradict the security of the original AES algorithm by keeping all the mathematical criteria of AES remain unchanged. We try to improve the security of AES by making its S-box to be key-dependent.

S-Box is one of the most crucial keystones that will lead to the security at AES level as it is nonlinear, invertible transformation. S-box entries are computed using the multiplicative inverses in Galois Field GF $\left(2^{8}\right)$. This multiplicative inverse uses the affine mapping concept for encryption part and inverse affine mapping concept for decryption part ${ }^{[5]}$. Figure (3) and Figure (4) shows the S-box and inverse S-box with 2568 -bit values. Each individual byte of state is mapped into a new byte in the following way: The leftmost 4 bits are used as a row value and the rightmost 4 bits are

| 63 |
| :---: |
| ca 82 c9 7d fa 5947 f0 ad d4 a2 af 9c a4 72 c0 |
| b7 fd $9326363 f$ f7 cc 34 a5 e5 f1 71 d8 3115 |
| 04 c |
| 0983 |
| $53 \mathrm{d1} 00$ ed 20 fc b1 5b 6a cb be 394 |
| d0 ef aa fb 43 4d 338545 f9 02 7f 50 3c 9f a8 |
| 51 |
| cd 0c 13 ec 5f 974417 |
| 6081 4f dc 22 2a 908846 e |
| e0 32 3a 0a 490624 5c c2 d3 ac 629 |
| e7 c8 37 6d 8d d5 4e a9 6c 56 f4 ea $657 \mathrm{7a}$ ae 08 |
| ba 7825 2e 1c a6 b4 c6 e8 dd 74 1f 4b |
| 70 3e b5 664803 f6 0e 613557 b9 86 c1 1d 9e |
| e1 f8 981169 d9 8e 94 9b 1e 87 e9 ce 5528 df |
| 8 c |

Fig .(3) S-Box ${ }^{[14,15]}$.


Fig .(4) Inverse S-Box ${ }^{[14,15]}$.
used as a column value. These row and column values serve as indices into the S -box to select a unique 8 -bit output value. For example, the hexadecimal value $\{95\}$ references row 9 , column 5 of the $S$-box, which contains the value $\{2 \mathrm{a}\}$ : The S -box is constructed in the following points ${ }^{[9]}$ :

- Initialize the S-box with the byte values in ascending order row by row. Thus, the value of the byte at row x , column y is $\{\mathrm{xy}\}$.
- Map each byte in the S-box to its multiplicative inverse in the finite field $\mathrm{GF}\left(2^{8}\right)$ the value $\{00\}$ is mapped to itself.
- Consider that each byte in the S-box consists of 8 bits labeled $\left(b_{7}, b_{6}, b_{5}, b_{4}, b_{3}, b_{2}, b_{1}\right.$, $\mathrm{b}_{0}$ ). The general affine transformation to each bit of each byte in the S-box is:
$b_{i}^{\prime}=b_{i} \oplus b_{(i+4) \bmod 8} \oplus b_{(i+5) \bmod 8} \oplus b_{(i+6) \bmod 8} \oplus b_{(i+7) \bmod 8} \oplus c_{i}$

Where: $\mathrm{c}_{\mathrm{i}}$ is the i-th bit of byte c with the value $\{63\}$, that is, $\left(\mathrm{c}_{7}, \mathrm{c}_{6}, \mathrm{c}_{5}, \mathrm{c}_{4}, \mathrm{c}_{3}, \mathrm{c}_{2}, \mathrm{c}_{1}, \mathrm{c}_{0}\right)=$ (01100011).

The prime (' ) indicates that the variable is to be updated by the value on the right. The AES standard depicts this transformation in matrix form as follows:

Each element in the product matrix is the bitwise XOR of elements of one row and one column. Further, the final addition, as shown in equations ( $2-9$ ), is a bitwise XOR, the inverse S-box is obtained by taking the inverse of equation (10), affine transformation followed by taking the multiplicative inverse in $\operatorname{GF}\left(2^{8}\right)$ given in figure (4). As an example, consider the input value $\{95\}$. The multiplicative inverse in $\operatorname{GF}\left(2^{8}\right)$ is $\{95\}^{-1}=\{8 \mathrm{~A}\}$, which is 10001010 in binary. Using equation (10), the result is $\{2 \mathrm{~A}\}$. More details of affine transformation and S-box are available in the literature ${ }^{[10-13]}$.
$b_{0}{ }^{\prime}=b_{0} \oplus b_{(0+4) \bmod 8} \oplus b_{(0+5) \bmod 8} \oplus b_{(0+6) \bmod 8} \oplus b_{(0+7) \bmod 8} \oplus c_{0}$.
$b_{1}^{\prime}=b_{1} \oplus b_{(1+4) \bmod 8} \oplus b_{(1+5) \bmod 8} \oplus b_{(1+6) \bmod 8} \oplus b_{(1+7) \bmod 8} \oplus c_{1}$
$b_{2}{ }^{\prime}=b_{2} \oplus b_{(2+4) \bmod 8} \oplus b_{(2+5) \bmod 8} \oplus b_{(2+6) \bmod 8} \oplus b_{(2+7) \bmod 8} \oplus c_{2}$
$b_{3}{ }^{\prime}=b_{3} \oplus b_{(3+4) \bmod 8} \oplus b_{(3+5) \bmod 8} \oplus b_{(3+6) \bmod 8} \oplus b_{(3+7) \bmod 8} \oplus c_{3}$
$b_{4}{ }^{\prime}=b_{4} \oplus b_{(4+4) \bmod 8} \oplus b_{(4+5) \bmod 8} \oplus b_{(4+6) \bmod 8} \oplus b_{(4+7) \bmod 8} \oplus c_{4}$.
$b_{5}{ }^{\prime}=b_{5} \oplus b_{(5+4) \bmod 8} \oplus b_{(5+5) \bmod 8} \oplus b_{(5+6) \bmod 8} \oplus b_{(5+7) \bmod 8} \oplus c_{5}$
$b_{6}^{\prime}=b_{6} \oplus b_{(6+4) \bmod 8} \oplus b_{(6+5) \bmod 8} \oplus b_{(6+6) \bmod 8} \oplus b_{(6+7) \bmod 8} \oplus c_{6}$
$b_{7}{ }^{\prime}=b_{7} \oplus b_{(7+4) \bmod 8} \oplus b_{(7+5) \bmod 8} \oplus b_{(7+6) \bmod 8} \oplus b_{(7+7) \bmod 8} \oplus c_{7}$

In matrix form, the affine transformation element of the S-box can be expressed as equation (10):

$$
\left[\begin{array}{l}
b_{0}^{\prime}  \tag{10}\\
b_{1}^{\prime} \\
b_{2}^{\prime} \\
b_{3}^{\prime} \\
b_{4}^{\prime} \\
b_{5}^{\prime} \\
b_{6}^{\prime} \\
b_{7}^{\prime}
\end{array}\right]=\left(\begin{array}{llllllll}
1 & 0 & 0 & 0 & 1 & 1 & 1 & 1 \\
1 & 1 & 0 & 0 & 0 & 1 & 1 & 1 \\
1 & 1 & 1 & 0 & 0 & 0 & 1 & 1 \\
1 & 1 & 1 & 1 & 0 & 0 & 0 & 1 \\
1 & 1 & 1 & 1 & 1 & 0 & 0 & 0 \\
0 & 1 & 1 & 1 & 1 & 1 & 0 & 0 \\
0 & 0 & 1 & 1 & 1 & 1 & 1 & 0 \\
0 & 0 & 0 & 1 & 1 & 1 & 1 & 1
\end{array}\right)\left[\begin{array}{l}
b_{0} \\
b_{1} \\
b_{2} \\
b_{3} \\
b_{4} \\
b_{5} \\
b_{6} \\
b_{7}
\end{array}\right]+\left[\begin{array}{l}
1 \\
1 \\
0 \\
0 \\
0 \\
1 \\
1 \\
0
\end{array}\right]
$$

## 3. Proposed Algorithm

A single 128 -bit block will be the input to the encryption and decryption algorithms where this block is depicted as a square matrix of bytes, and will then be copied into the state array, which will be modified at each stage of encryption or decryption. The encryption and decryption process of this new design resembles the original AES, it has confusion and diffusion layer and key addition layer as well.

Figure (5a) shows the original algorithm of S-box. The proposed algorithm is described in Figure (5b). An S-box is a one to one mapping for all byte values from 0 to 255 . The Sbox is used to change the original plain text in bytes to cipher text. All values are represented in hexadecimal notation.

(a)

(b)

Fig .(5) (a) Original algorithm of S_box (b) Proposed algorithm of new S_box.

The proposed AES is used algorithm to create a new S-box and Inverse S-box as shown in Figures (6) and (7). Each value in old S-box matrix is modified with a new value to create a new S-box matrix. In this paper, three keys are proposed (Key (i), Variable No._1 (i) and Variable No._2 (i)) for ciphering.

| 6a 75 6c d9 e9 81 3c 2f 63 1a bb 22 d 3 de a2 7f |
| :---: |
| 68 af 1566 e1 854 e eb b6 08 fl b4 cf ad 21 ed |
| 6b ae 8884 dc 24 2b d7 3d be fe 1b 5c d1 38 1c |
| d8 ce c9 90 ba 4a 0c 93 a5 3f 89 b1 49 fb a9 6e |
| $12 \mathrm{d0} 0113 \mathrm{c} 743 \mathrm{f8}$ f3 5b 32 0a 59 c3 ea 7c 9f |
| 00 ca 09 f6 3b f5 b8 877117 b7 9b a0 1f 5125 |
| 3a f4 76115844 1e 8c e7 f0 e8 64 7d d6 9674 |
| 02 8e aa 8678 b0 e4 299114302819 ac fa db |
| c4 5f 40 e5 b5 3598 fd df bc 9426 c6 54 c5 7a |
| 7b d2 62 8f 393199 2a 9a 04 a3 0f 8d 4510 c0 |
| b3 61 e6 0352 da 2d 47 cb c8 4679 8a 9c 0e 70 |
| fc c1 2c 3e 6777 1d 0b $654 d 5636$ b9 a6a7e2 |
| a1 a4 f9 27074 c bd dd 34 d4 9e 1650 ee 5783 |
| 233769 6f 4118 ff 5d 8b 2e 5e 53 9d 92 f7 cd |
| cce e3 $724260 \mathrm{c} 2954880056 d$ e0 d5 bf 33 f2 |
| $97 \mathrm{a8} 5520$ ec ef 4b 73 5a 82 7e 06 ab 4f b2 0d |

Fig .(6) New S-Box.


Fig .(7) New Inverse S-Box.

The two different numbers (Variable No._1, Variable No._2) are a random numbers and it is changed at each value of S-box. The constant byte value (Key) is also secret number and it is a XORed with the first variable number (Variable No._1). The result value is then XORed with the second variable number (Variable No._2).

The final value will combine with the multiplicative inverse of the current byte value with respect to the specified modulo polynomial transformed (by using affline transformation). The result value is the new S -box value and it's used by SubBytes substitution.

In order to recover the data previously encrypted it is required to perform the inverse of the new S-box and then complete other decryption process to get the original data. It is very difficult to decrypt the cipher text without using the correct key of S-box.

The flow chart of the proposed algorithm is shown in Figure (8).


Fig .(8) Flow chart of the proposed AES algorithm.

## 4. Simulation Results

The plaintext is a 16 byte and in hexadecimal format (plaintext_Hex_No. $=\{\mathbf{1 1 4 5 8 8} \mathbf{8 8} \mathbf{~ f}$ ff a4 99 dd ee 6e 1a 3e $117 \mathbf{f} \mathbf{~ b ~ f ~} 7$ \}). The cipher key length and data block size in AES is 16byte/128 bits. The simulation results shows the data, key used, cipher (encrypted data) and decrypted data, as shown in Tables (2) And (3) respectively, the values of the original and calculated plaintext values are in agreement, thereby proving the correctness of the design's operation.

It can be noted that the plaintext in Tables (2) And (3) are the same on a per bit basis, thereby proving the working of the proposed algorithm. Also the ciphertext obtained from program, as shown in Table (2), is compared with the ciphertext shown in Table (3). The aim of this exercise is to prove that the encryption and decryption are in fact in keeping with the Rijndael specifications, and that the results obtained are not merely obtained because encryption and decryption are the inverse of each other. The randomly key-dependent S-boxes make our approach resistant to linear and differential cryptanalysis. This approach will lead to generate more secure block ciphers, solve the problem of the fixed structure S-boxes, and will increase the security level of the AES block cipher system. The main advantage of such approach is that an enormous number of S-boxes can be generated by changing secret key.

Table (2) Encrypting of 16 Byte Plaintext.

|  | Proposed AES | Original AES |
| :---: | :---: | :---: |
| Plaintext (16byte): | 114588 cf <br> ff a499 dd <br> ee 6 e la 3 e <br> 117 fb f7 | 114588 cf <br> ff a 99 dd <br> ee 6 e la 3 e <br> 117 f b 3 f 7 |
| Key: | $000102030405060708090 \mathrm{a} 0 \mathrm{0b} 0 \mathrm{c} 0 \mathrm{~d} 0 \mathrm{e}$ Of | 000102030405060708090 a 0 b 0 c 0 d 0 e 0 f |
| Round 1: | 0004080 c 0105090 d 02060 a 0 e 03070 b 0f | 0004080 c 0105090 d 02060 a 0 e 03070 Ob 0f |
| Round 2: | df db d3 df a3 a6 af a2 7d 7b 717 ff d0 d7 dc d3 | d6 d2 da d6 aa af a6 ab 74727876 fd fa fl fe |
| Round 3: | 3be0 33 ec 78 de 71 d3 $126918671 \mathrm{ld} \mathrm{ca} 16 \mathrm{c5}$ | b6 64 be $68923 \mathrm{~d} \mathrm{9b} 30 \mathrm{cf} \mathrm{bd} \mathrm{c5} \mathrm{b3} \mathrm{0b} \mathrm{fl} 00 \mathrm{fe}$ |
| Round 4: | 50 b0 83 6f f4 2a 5b 88 5e 372f 48 c8 0214 dl | b6 d2 6c 04 ff c2 $596974 \mathrm{c9} \mathrm{0c} \mathrm{bf} \mathrm{4e} \mathrm{bf} \mathrm{bf} 41$ |
| Round 5: | $8737 \mathrm{b4} \mathrm{db}$ af 85 de 56695 e 7139 bc be aa 7b | 4795 f9 fd f $7356 \mathrm{c} 05 \mathrm{f7} 3 \mathrm{e} 328 \mathrm{~d} \mathrm{be} 03 \mathrm{bc}$ fd |
| Round 6: | 2f 18 ac $779015 \mathrm{cb} \mathrm{9d} 41 \mathrm{lf} \mathrm{6e} 57$ ef 51 fb 80 | 3ca9 50ad aa 9ff3 f6a39d af 22 e8 eb 57 aa |
| Round 7: | 4a 52 fe 891702 c9 54 85 9a f4a3 c6 976cec | 5ef7 a7 0a 39 a6 55 a3 0f 92 3d lf 7d 96 cl 6b |
| Round 8: | 31639d 141416 df 8b 50 ca 3e 9d 7a ed 81 6d | 14 e3 $444 \mathrm{ef9} 5 \mathrm{f} 0 \mathrm{a}$ a9 70 e2 df c0 1a 8c 4d 26 |
| Round 9: | 97f4 69 7d $51479813864 c 72$ ef 9b 76 f7 9a | 47 a 4 e0 ae 43 lc 16 bf 8765 ba 7a 35 b9 f4 d2 |
| Round 10: | ea le 77 0a a3e4 7c 6f 2569 lb f4 3741 b 6 2c | 54 f0 10 be 9985932 c 3257 ed 97 dl 689c 4e |
| Ciphertext <br> (16byte): | $\begin{aligned} & \hline \hline \text { 65 8a 6a c0 } \\ & \text { c6 49 57 b4 } \\ & \text { 6f } 105 \mathrm{f} \text { f } 7 \\ & \text { f5 } 22 \text { f5 } 77 \end{aligned}$ | b2 6201 d 4 <br> 2b 08 a 7 fd <br> bl la 00 fa <br> da 8219 a 4 |

Table (3) Decrypting of 16 Byte Ciphertext.

|  | Proposed AES | Original AES |
| :---: | :---: | :---: |
| Ciphertext <br> (16byte): | $\begin{aligned} & \hline \hline \text { 65 8a 6a c0 } \\ & \text { c6 } 4957 \text { b4 } \\ & \text { ff } 105 f \text { f7 } \\ & \text { f5 } 22 \text { f5 } 77 \end{aligned}$ | $\begin{aligned} & \hline \hline \text { b2 } 6201 \mathrm{~d} 4 \\ & \text { 2b } 08 \text { a7 fd } \\ & \text { b1 1a } 00 \mathrm{fa} \\ & \text { da } 8219 \mathrm{a} 4 \end{aligned}$ |
| Key: | 00010203040506070809 0a 0b 0c 0d 0e 0f | 00010203040506070809 0a 0b 0c 0d 0e 0f |
| Round 1: | a8 b6 c1 cb 4f ab d7 b8 7910 0b ff 8c cd 7b 57 | $\begin{array}{\|l} 54 \text { f0 } 10 \text { be } 998593 \text { 2c } 3257 \text { ed } 97 \text { d1 } \\ 689 c 4 e \end{array}$ |
| Round 2: | ea 1e 77 0a a3 e4 7c 6f 2569 1b f4 3741 b6 2c | 47 a4 e0 ae 43 1c 16 bf 8765 ba 7a 35 b9 f4 d2 |
| Round 3: | 97 f4 69 7d $51479813864 c 72$ ef 9b 76 f7 9a | 14 e3 44 4e f9 5f 0a a9 70 e2 df c0 1a 8c 4d 26 |
| Round 4: | $\begin{aligned} & 31639 d 141416 \text { df 8b } 50 \text { ca 3e 9d 7a ed } \\ & 81 \text { 6d } \end{aligned}$ | 5e f7 a7 0a 39 a6 55 a3 of 92 3d 1f 7d 96 c1 6b |
| Round 5: | 4a 52 fe 891702 c9 54859 f4 a3 c6 97 6c ec | 3c a9 50 ad aa $9 \mathrm{f} \mathbf{f 3}$ f6 a3 9d af 22 e8 eb 57 aa |
| Round 6: | 2f 18 ac 779015 cb 9 d 41 1f 6e 57 ef 51 fb 80 | 4795 f9 fd f7 35 6c 05 f7 3e $328 d$ bc 03 bc fd |
| Round 7: | 8737 b4 db af 85 de $56695 e 7139$ bc be aa 7b | b6 d2 6c 04 ff c2 596974 c9 0c bf 4e bf bf 41 |
| Round 8: | 50 b0 83 6f f4 2a 5b 88 5e $372 f 48$ c8 02 14 d1 | b6 64 be 6892 3d 9b 30 cf bd c5 b3 0b f1 00 fe |
| Round 9: | $\begin{aligned} & \text { 3b e0 } 33 \text { ec } 78 \text { de } 71 \text { d3 } 12691867 \text { 1d } \\ & \text { ca } 16 \text { c5 } \end{aligned}$ | d6 d2 da d6 aa af a6 ab 74727876 fd fa f1 fe |
| Round 10: | df db d3 df a3 a6 af a2 7d 7b 71 7f d0 d7 dc d3 | $0004080 c 0105090 d 02060 a 0 e 03$ $070 b 0 f$ |
| Plaintext <br> (16byte): | 114588 cf ff a4 99 dd ее 6e 1a 3e $117 f$ b3 f7 | 114588 cf ff a4 99 dd ее 6e 1a 3e $117 f$ b3 f7 |

### 4.1 Avalanche Test

The avalanche effect property is very important for encryption algorithm. This property can be seen when changing one bit in plaintext and then watching the change in the outcome of at least half of the bits in the ciphertext. One purpose for the avalanche effect is that by changing only one bit there is large change then it is harder to perform an analysis of ciphertext, when trying to come up with an attack. Avalanche Effect can be calculated by using equation (11) ${ }^{[16]}$.

Avalanche ${ }_{-}$Effect $=\frac{\text { Number_of _flipped_bits_in_ciphertext }}{\text { Number_of }{ }_{-} \text {bits_in_ciphertext }}$
A block cipher is said to have a poor randomization if it does not exhibit the avalanche effect to a significant degree. For a good quality block cipher, such a small change in either key or plaintext should cause a drastic change in the ciphertext.

To perform the test we change plaintext bit to " 01 " instead of " 11 " and " 80 " instead of " 00 " the result obtained is 0.5468 and 0.5234 respectively, which prove that proposed AES pass avalanche test. The results of avalanche effect are given in Tables (4) And (5) respectively. The proposed AES has good avalanche test if compared with results of original AES and proposed AES in Ref. ${ }^{[9]}$. This avalanche result reflects the immunity of our algorithm to linear and differential cryptanalysis. Avalanche test is important features for strong S-boxes to produce more confusion to the encryption process.

Table (4) The results of avalanche test due to one bit change in plaintext (From (11) to (01) in plaintext).

|  | Algorithm | Input Data (plaintext) | Output Data(ciphertext) | Avalanche Test |
| :---: | :---: | :---: | :---: | :---: |
| Cipher Key = '0123456789ABCDEF' | This <br> Work | $\begin{aligned} & \hline \mathbf{1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 ,} \\ & \mathbf{1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1} \end{aligned}$ | $\begin{gathered} \hline \text { D4,68,1B,28,83,92,E7,C0, } \\ \text { F0,B0,BD,CE,B0,18,ED,07 } \end{gathered}$ | 0.5468 |
|  |  | $\begin{aligned} & \hline \mathbf{0 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 ,} \\ & \mathbf{1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1} \\ & \hline \end{aligned}$ | 0А,A1,B8,13,60,F5,5A,A9, <br> 31,FF,B3,1A,E4,8F,62,80 |  |
|  | $\begin{gathered} \text { AES-RC4 } \\ {[9]} \end{gathered}$ | $\begin{aligned} & \mathbf{1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 ,} \\ & \mathbf{1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1} \end{aligned}$ | 98,AC,21,A7,EF,17,17,16, <br> BF,CB,B6,8E,B8,5E,7F,C8 | 0.5078 |
|  |  | $\begin{gathered} \mathbf{0 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 ,} \\ \mathbf{1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1} \end{gathered}$ | 96,63,13,AE,F5,B4,48,52, <br> B6,30,18,7A,BB,C8,62,C2 |  |
|  | Original AES [9] | $\begin{gathered} \text { 11,11,11,11,11,11,11,11, } \\ \mathbf{1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1} \end{gathered}$ | 1D,BA,92,8F,49,FC,58,29, B8,ED,48,96,4E,74,01,E4 | 0.5078 |
|  |  | $\mathbf{0 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 , 1 1 ,}$ <br> $11,11,11,11,11,11,11,11$ | FA,B6,58,C6,07,81,EE,E4, 5D,43,40,B5,1D,7E,BE,FC |  |

Table (5) The results of avalanche test due to one bit change in plaintext (From (00) to (80) in plaintext).

|  | Algorithm | Input Data (plaintext) | Output Data(ciphertext) | Avalanche Test |
| :---: | :---: | :---: | :---: | :---: |
|  | This <br> Work | 00,00,00,00,00,00,00,00, <br> $00,00,00,00,00,00,00,00$ | $\begin{gathered} \hline \hline \text { 4D,6D,A8,97,1C,4F,A9,4F, } \\ \text { 1b,CE,2F,04,92,E4,4F,90 } \end{gathered}$ | 0.5234 |
|  |  | $80,00,00,00,00,00,00,00$, <br> $00,00,00,00,00,00,00,00$ | $\begin{gathered} \text { 93,A9,89,BC,E5,BA,5a,2E, } \\ \text { 05,26,F8,98,31,D6,6D,E4 } \end{gathered}$ |  |
|  | AES-RC4 <br> [9] | 00,00,00,00,00,00,00,00, $00,00,00,00,00,00,00,00$ | A9,23,41,A8,1F,FF,EB,80, 07,F3,C0,61,79,53,CA,EE | 0.5234 |
|  |  | $80,00,00,00,00,00,00,00$, $\mathbf{0 0 , 0 0 , 0 0 , 0 0 , 0 0 , 0 0 , 0 0 , 0 0}$ | $\begin{aligned} & \text { 3C,C3,19,3C,F0,B6,3D,E9, } \\ & \text { 3B,96,EC,9E,3B,C0,FD,7C } \end{aligned}$ |  |
|  | Original AES [9] | $\mathbf{0 0 , 0 0 , 0 0 , 0 0 , 0 0 , 0 0 , 0 0 , 0 0}$, $00,00,00,00,00,00,00,00$ | $\begin{gathered} \hline \text { 7D,F7,6B,0C,1A,B8,99,B3, } \\ \text { 3E,42,F0,47,69,1B,54,6F } \end{gathered}$ | 0.4688 |
|  |  | $\begin{array}{\|l\|} \hline 80,00,00,00,00,00,00,00, \\ 00,00,00,00,00,00,00,00 \end{array}$ | F6,C7,1E,ED,C3D9,96,B1, <br> 83,CB,56,8D,15,68,EB,06 |  |

## 5. Conclusions

This paper presents an optimized S-Box for Advanced Encryption Standard (AES) design. The S-Box is one of the most important components of AES. During Subbyte transformation, the eight bit input is substituted by eight bit output using the S-Box. S-Box is constructed by composing two transformation- multiplicative inverse in Galois Field $\operatorname{GF}\left(2^{8}\right)$ followed by an affine transformation. The proposed algorithm can be implemented without increasing the size of the key block. Though the original algorithm is very secure, the proposed changes in the processing of the algorithm will help to encrypt the data by making stronger diffusion and confusion. It also increases the complexity of the algorithm multiple times. The achieved result gives more resistance to Brute-force attack and will make it very difficult to decrypt the plaintext without correct values of S-box matrix. AES is a strong algorithm due to its large rounds and algebraic complexity inside the rounds. The proposed method has been shown improved security of proposed AES over the traditional AES by increasing the complexity of encryption process. The main advantage of this algorithm is that many S-Boxes can be generated by changing cipher key. The proposed algorithm leads to increase the complexity of encryption process and makes the differential and linear cryptanalysis more difficult.

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